(5/4) monday ☐ the hangover ☐ easy ☒ observer effect studies AFTER (just observed by A.I. then after, how much different is it? if the observer uses an A.I. to watch all & only uses critical eye bias after event is recorded) compared to same event/action/behavior observed DURING action ☒ Seneca Tribe & /or Creator

/UNKNOWN ∞ Q? = dim state a Turbo engine

Mystery ☐ Gather Discomfort ☐ SAGE ME [G-Force Theory]

Journey/Smoke bite salt make 10 min more ☐ Wine ☒ GATTACA

CHATFUL // How to ASSIST/BREAK RE/RELEASE ENGINEER NON BELIEVERS ☐ Clumsy Dont go FAST

Knowers ☐ if they don't believe I'm Real or don't Know, dim will THEN become the UNREAL ☐ SAGE ME

Time (L) ☐ Explanation ☐ ☐ ☐ ☐ ☐ [Generic Good!] Value

Perfection is a lofty goal, ☐ Thanks & Fuji, but the effort! Rewarded Such as not? ☐ Learning / re- observing the 3 + minute conversation/ synthesis / intro - ration (UI + minute Mythix machine modality, Geolocation, ultra? stamp location/sleep tracking off time Deep + (at all) / Record Stan Door open beep ☐ ☐ ☐ ☐ ☐

APPENDIX B. PROGRAM LISTINGS

The program gauss displays

- the day of the week ({Mon, Tue, Wed, Thu, Fri, Sat, Sun})
- the Gregorian date,
- the Julian date (JC),
- the day of the year (D#),
- the week of the year (W#),
- the Julian day number (J#),
- the Unix day (X#)

The input syntax is `date [offset]`, where *date* is in ISO 8601 format `year-mm-dd` and *offset* can be any integer. Weeks run from Monday to Sunday, its numbering follows ISO.

When experimenting with some input you will see that gauss is tolerant to some false dates (correcting them): asking for 1999-2-29 it correctly answers 1999-03-01. Empty input will terminate the program.

B.1. **Earlier implementations.** The subroutines go back to an implementation in REXX in the late 1980s on the IBM VM/CMS operating system. They were used in a program to generate weekly statistics of defects in a project. Then, at the wake of another leap year (1996), I put them all together into a small REXX program (`gauss.rexx`, see below in section B.3 for a recent version) and wrote up a *rationale* of the algorithm and a proof of the formula. This rough explanation of *Gauss'* formula constituted the original content at my Web site (June 1999).

In March 2004 I ported the program to Perl, and in March 2009 to C. Since 2004 the *Julian day number* and the Julian Calendar date was included.

The subroutine `date` implements the operation of the integers on the dates and `offset` returns the day of the year of a date. The subroutine `leap` implements the Gregorian leap year rules and `weekday` returns the result of *Gauss'* formula. I deviate from the text above and use as numbering of the weekdays Monday = 0, ..., Sunday = 6. This way the *Julian day number* is ≡ to the weekday. The subroutine `julian` calculates the Julian day number.

For positive y we have in REXX `c = y % 100` (integer divide), and the remainder is `g = y // 100`. This is false for negative y, when REXX yields `y//100 = -[-y/100]` instead. C suffers from the same wrong floor function as the other programming languages: the Euclidean algorithm gives the formula $a = q \cdot b + r$ with $q = \lfloor a/b \rfloor$ and $0 \le r < b$ for positive b. If a is negative the C function a/b gives the wrong result except if b divides a. The routines `quot` and `mod` correct the handling of the floor function for negative arguments (and I allow for negative years).

These implementations have been run on various platforms:

- REXX on VM, OS/2, DOS, Windows, Linux
- Perl on Linux, AiX, Windows
- C on Windows and Linux.

B.2. **Program listing `gauss.c`.**

```
/* ------------------------------------------------------------------

   Module:      gauss.c
```



```
   Description:

      This program explores Gauss' formula for weekday calculation
      in the proleptic Gregorian Calendar.

      For a detailed explanation see my calendar article:
      https://berndt-schwerdtfeger.de/wp-content/uploads/pdf/cal.pdf

      Input:  year-mm-dd [offset] (ISO 8601 Format)

      Output: Weekday, date, Julian Calendar date, day of the year,
              week of the year, Julian day number, Unix day number

   Subroutines: date, offset, weekday, julian, leap, quot, mod

   Sample: gauss 2010-01-0 +120
      Fri 2010-04-30, JC 2010-04-17, D# 120 W# 17 J# 2455317 X# 14729

   ------------------------------------------------------------------

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   distributed under the License is distributed on an "AS IS" BASIS,
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   limitations under the License.

   ------------------------------------------------------------------ */

#include <stdio.h>
#include <stdlib.h>

// set constants

char *wd[] = {"Mon", "Tue", "Wed", "Thu", "Fri", "Sat", "Sun"};
int em[13] = {0,0,31,59,90,120,151,181,212,243,273,304,334};
const int JULIAN = 0;
const int GREGOR = 1;

// prototype statements for functions

void date(int,long,long*,int*,int*); // type, offset, year, month, day
long offset(long,int,int);           // = offset into year y
int  weekday(long,int,int);          // = {0|1|2|3|4|5|6}, 0 = Monday
long julian(long,int,int);           // = number of days since JC -4712/01/01
```



```
int  leap(int,long);                 // = 1 if year is a leap year
long quot(long,long);                // = [a/b] (corrected: works if a < 0)
long mod(long,long);                 // = a - quot(a,b)*b

// ------------------------------------------------------------------
// main program
// ------------------------------------------------------------------

int main(int argc, char *argv[]){

  if (argc == 1 || *argv[1] == '?'){
    printf("\ngauss, v1.4, 2010-12-03\n");
    printf("\n(C) Copyright (C) 2009-2010 Berndt E. Schwerdtfeger\n\n");
    printf("Input:  year-mm-dd [offset]\n\n");
    printf("Output: Weekday, date, Julian Calendar date, day of the year,\n");
    printf("        week of the year, Julian day number, Unix day number\n\n");
    printf("Sample: gauss 2010-01-00 +120\n");
    printf("        Fri 2010-04-30, JC 2010-04-17, D# 120 W# 17 J# 2455317 X# 14729\n\n");
    return EXIT_SUCCESS;             // end the program
  }                                  // argc > 1 here

  int  w,m,d,jm,jd;
  long y,jy,j,x,n=0;
  char line[80];

  sscanf(argv[1],"%ld-%d-%d",&y,&m,&d);

  if (argc == 3)
    sscanf(argv[2],"%ld",&n);        // get the offset
  else if (argc > 3) {
    printf("Too many parameters!\n");
    return EXIT_FAILURE;             // end the program
  }

  while(1)
  {
    n += offset(y,m,d);              // correct the offset
    date(GREGOR, n, &y, &m, &d);     // correct y, m, d
    j = julian(y,m,d);               // set Julian day number
    x = j - 2440588;                 // set Unix day number
    jy = -4712;                      // set initial julian year
    date(JULIAN, j+1, &jy, &jm, &jd); // correct jy, jm, jd
    n = offset(y,m,d);               // set offset in this year
    w = weekday(y,m,d);              // set weekday (Gauss)

    printf("%s %ld-%02d-%02d, JC %ld-%02d-%02d,", wd[w],y,m,d,jy,jm,jd);
    printf("D# %03d J# %02d J# %ld X# %ld\n",n,(n-w+9)/7,j,x);
    fgets(line,sizeof line,stdin);   // read next
    if (line[0]=='\n')
      break;
    n = 0;
```



```
    sscanf(line,"%ld-%d-%d %ld",&y,&m,&d,&n);
  }                                  // end of while loop
  return EXIT_SUCCESS;               // exit the program
};

// ------------------------------------------------------------------
// subroutines: date, offset, weekday, julian, leap, quot, mod
// ------------------------------------------------------------------
void date(int c, long n, long* y, int* m, int* d){

  int i;
  while (n > 365 + leap(c,*y)){      // if offset larger than # of
    n -= 365 + leap(c,*y);           // ... days in a year
    *y += 1;                         // ... find the correct year
  }

  while (n <= 0){                    // if offset is negative
    *y -= 1;                         // ... find the correct year
    n += 365 + leap(c,*y);           // ... and offset
  }

  i = leap(c,*y);                    // adjust for leap day
  *m = 12;
  while (n <= em[*m] + i){           // searching for the month
    *m -= 1;
    if (*m<3) i=0;
  }
  *d = n - em[*m] - i;               // getting the day
}

// ------------------------------------------------------------------
long offset(long y, int m, int d){

  int x = d + em[m];                 // offset into this year
  if (m > 2)
    x += leap(GREGOR,y);             // adjust for leap day
  return x;
}

// ------------------------------------------------------------------
int weekday(long y, int m, int d){

  if (m < 3)
    y -= 1;

  long c = quot(y,100);
  int g = mod(y,100);
  int f = 5 * mod(c,4);
  int e = em[m];
  if (m > 2)
    e -= 1;
  return (-1 + d + e + f + g + g/4)%7; // Gauss' formula
```

(5/5) giving heat / recieving cold & vice versa - KEEP UP NUTRITION / exercise / motion / blood flow [HOW TO STAY EXCITED? unlikely: inspired

LOOK @ THIS CYCLE: (law of ~~gyclez~~) BUT STILL even if one doesnt

one will STILL have to REST @ 0 ;)

PROOF? UP FOR PEER REVIEW

(even if you/it dont descend, $ on X/y axis (that is still "descending on X axis (←) (want: ↑ → ↗

(NOT: ↘ ↓ ↙ ← ↖)

(5/5) 10:17 not 11 10 47 laundry charge

estimate ETA: 11:33

listen to the heart - it can

from Shira pigeon-Vulture?)

i'm not tryin to die!

SURVIVAL at one

IS MY

RELIGION

* not survival of strongest but of fittest/compatible* (other side)

current is 11:15

11:15 if you {dont miss the alert} dont kill you (do all {eye's} come no, not all ;) Laced gold

LOVE STORY WHAT IT point d enjoyed Sucka

WHAT A SHIT STORY

TO BE A BETTER CHRISTIA

(nuclear warfare would not make sense as opposed to micro foundations)

only a lil Retarded Today

THE ROD IS THE LAW 2

As to (4): by symmetry $\lambda(-x) = \lambda(x)$, hence

$$\sum_{x=1+100c+g}^{0} \lambda(x) = \sum_{x=0}^{-1-100c-g} \lambda(x)$$

and we are in the situation of (3) with $-1-100c-g = 100(-1-c)+(100-1-g)$, $-1-c \geq 0$, $0 \leq 100-1-g < 100$,

$$\begin{aligned}\sum_{x=1+100c+g}^{0} \lambda(x) &= 1 + \sum_{x=1}^{-1-100c-g} \lambda(x) = \\ &= 1 + \left[\frac{-1-c}{4}\right] + 24(-c-1) + \left[\frac{100-1-g}{4}\right] = \\ &= 1 + \left[\frac{-1-c}{4}\right] - 24\cdot c - 24 + 25 + \left[\frac{-1-g}{4}\right] = \\ &= -[c/4] - 24\cdot c - [g/4]\end{aligned}$$

where we have used the relation $1 + \left[\frac{-1-n}{4}\right] = -\left[\frac{n}{4}\right]$, valid for any $n \in \mathbb{Z}$. □

2.3. **Shifting Dates.** The set T of valid 'dates' is a subset of

$$\mathbb{Z} \times \{1,\dots,12\} \times \{1,\dots,31\}$$

defined by

$$\begin{aligned}T := {} & \mathbb{Z} \times \{1,3,5,7,8,10,12\} \times \{1,\dots,31\} \\ & \cup\, \mathbb{Z} \times \{4,6,9,11\} \times \{1,\dots,30\} \\ & \cup\, \mathbb{Z} \times \{2\} \times \{1,\dots,28\} \\ & \cup\, \Lambda \times \{2\} \times \{29\}\end{aligned}$$

The last set in the union are the leap days (29^{th} of February).

We have a finite 'fibration' map

$$\pi : T \longrightarrow \mathbb{Z}$$

given by the first projection $\pi(y,m,d) = y$. Normal fibers $\pi^{-1}(y)$, $y \notin \Lambda$, have 365 elements, whereas 'leap' fibers ($y \in \Lambda$) have 366, i.e. fiber cardinality is

$$|\pi^{-1}(y)| = 365 + \lambda(y) \tag{5}$$

We use the natural order of days: $t < t'$ if t' is later than t. The cardinality of the segment of the year of all days up to $t = (y,m,d)$ is

$$|\{t' \in \pi^{-1}(y) \mid t' \leq t\}| = d + e(m) + \lambda(y,m) \tag{6}$$

We have a natural *shift* operation of the additive group $\mathbb{Z}$ on T:

$$\begin{aligned}\sigma : \mathbb{Z} \times T &\longrightarrow T \\ (n,t) &\longmapsto n + t\end{aligned}$$

where $n + t$ is defined as t shifted by n days, earlier ($n < 0$) or later ($n > 0$) in time. We also write $\sigma_t(n) = \sigma(n,t) = n + t$, as well as $t' - t = n$ for $t' = n + t$.

Examples

$$\begin{aligned}1 + (2000,2,28) &= (2000,2,29) \\ 1 + (2001,2,28) &= (2001,3,1) \\ -365 + (2001,1,1) &= (2000,1,2) \\ -152930 + (2001,6,30) &= (1582,10,15) \\ 1872 + (1947,2,4) &= (1952,3,21) \\ (y,m,d) &= d + e(m) + \lambda(y,m) + (y-1,12,31)\end{aligned}$$

This operation is simply transitive. Therefore, any $t \in T$ gives rise to an isomorphism

$$\begin{aligned}\sigma_t : \mathbb{Z} &\xrightarrow{\sim} T \\ n &\longmapsto n + t\end{aligned}$$

which is *linear*: $\sigma_t(n+m) = n + \sigma_t(m)$. Taking the inverse σ_t^{-1} and combining with $\mathbb{Z} \twoheadrightarrow \mathbf{F}_7$ gives us *Gauss* maps

$$\omega_t : T \longrightarrow \mathbf{F}_7$$

which have the property $\omega_t(n+u) = n + \omega_t(u) = \omega_{-n+t}(u)$. So, there are only 7 of them, differing from each other by a constant $\in \mathbf{F}_7$.

Now I choose $t_0 = (0,12,31)$ as the arbitrary origin of our counting.

Let $t = (y,m,d) \in T$ be any date. To calculate $\omega(t) = \omega_{t_0}(t)$ we need to determine $n \in \mathbb{Z}$ with $n = t - t_0$. Then $\omega(t) = n \bmod 7 \in \mathbf{F}_7$.

To this end, we will have to go thru the fibers from t to t_0, from the fiber $\pi^{-1}(y)$ to the fiber $\pi^{-1}(1)$, and keep track of the number of days in passing.

(in this picture we assume $y > 0$).

Proposition 2.2.

$$t - t_0 = d + e(m) + 365\cdot(y-1) + [c/4] + 24\cdot c + [g/4] \tag{7}$$

Proof. Let us first assume $y > 0$, then by (6) and (5)

$$\begin{aligned}t - t_0 &= d + e(m) + \lambda(y,m) + \sum_{x=1}^{y-1} |\pi^{-1}(x)| = \\ &= d + e(m) + \lambda(y,m) + \sum_{x=1}^{y-1} (365 + \lambda(x)) = \\ &= d + e(m) + 365\cdot(y-1) + \begin{cases} \sum_{x=1}^{y} \lambda(x) & m \geq 3 \\ \sum_{x=1}^{y-1} \lambda(x) & m = 1,2 \end{cases} \\ &= d + e(m) + 365\cdot(y-1) + \sum_{x=1}^{100c+g} \lambda(x) = \\ &= d + e(m) + 365\cdot(y-1) + [c/4] + 24\cdot c + [g/4]\end{aligned}$$

where we have substituted $y = 100\cdot c + g$ resp. $y - 1 = 100\cdot c + g$, and applied the Lemma in section 2.2, relation (3).

Let us now assume $y \leq 0$, we are in the situation of the following picture:

and counting similarly the fibers we get

$$\begin{aligned}t - t_0 &= d + e(m) + \lambda(y,m) - \sum_{x=y}^{0} |\pi^{-1}(x)| = \\ &= d + e(m) + \lambda(y,m) - \sum_{x=y}^{0} (365 + \lambda(x)) = \\ &= d + e(m) + 365\cdot(y-1) - \sum_{x=1+100c+g}^{0} \lambda(x) = \\ &= d + e(m) + 365\cdot(y-1) + [c/4] + 24\cdot c + [g/4]\end{aligned}$$

where we have substituted $y = 100\cdot c + g$ resp. $y - 1 = 100\cdot c + g$, and applied the Lemma in section 2.2, relation (4). □

Corollary 2.3. *(Gauss formula)*

$$\omega(y,m,d) = d + e + f + g + [g/4] \tag{8}$$

where $f = 5\cdot r$ *when* $c = q\cdot 4 + r$, $0 \leq r \leq 3$ *and* $e = \begin{cases} e(m) & \text{for } m = 1,2 \\ e(m) - 1 & \text{for } m > 2 \end{cases}$

Proof. We have $\omega(t) = t - t_0 \mod 7$, hence by the proposition

$$\omega(t) = d + e(m) + y - 1 + [c/4] + 3\cdot c + [g/4]$$

For $m = 1,2$, as well as for $m > 2$

$$e(m) + y - 1 = e(m) - 1 + y = e + 100\cdot c + g$$

therefore

$$\begin{aligned}\omega(t) &= d + e + 5\cdot c + [c/4] + g + [g/4] = \\ &= d + e + 5\cdot(q\cdot 4 + r) + q + g + [g/4] = \\ &= d + e + f + g + [g/4]\end{aligned}$$

□

2.4. **The Julian day number.** The *Julian day number* is defined as the number of days passed since JC −4712-01-01, which is −4713-11-24 in the proleptic Gregorian Calendar, hence is given by $j(t) = t - t_1 = (t - t_0) - (t_1 - t_0)$, where $t_1 = (-4713,11,24)$. From equation (7) we evaluate

$$t_1 - t_0 = 24 + e(11) + 365\cdot(-4713-1) + [-4713/4] + 24\cdot(-48) + [87/4] = -1721425$$

hence

$$j(t) = 1721060 + d + e(m) + 365\cdot y + [c/4] + 24\cdot c + [g/4] \tag{9}$$

References

[1] Carl Friedrich Gauss, *Werke* (1863), available at https://gdz.sub.uni-goettingen.de/id/PPN235957348.
[2] Maurice Kraitchik, *Mathematical Recreations*, George Allen & Unwill Ltd., London, 1955.

Appendix A. The formula in Gauss' Nachlass

Gauss never published his formula for finding the day of the week. It appeared in 1927 in [2, XI, 1.] p. 206 with remarks by Alfred Loewy regarding its derivation.

A.1. Den Wochentag des 1. Januar eines Jahres zu finden.

Handschriftliche Eintragung in: Sammlung astronomischer Tafeln, unter Aufsicht der Kgl. Preußischen Akademie der Wissenschaften, I. Band, Berlin 1776. — 1798 von Gauss erworben.

Bezeichnet man den kleinsten positiven Rest einer Grösse A nach dem Modulus m durch $R : A \pmod m$, so lassen sich alle Vorschriften des Gregorianischen Kalenders auf folgende geschmeidige Art darstellen:

1.

Wenn man die Tage vom 1^{ten} Januar 1701 an zählt, d. i. diesen mit 1, den 2^{ten} mit 2, den 31^{ten} Dec. 1700 mit 0, den 30^{ten} mit −1 etc. bezeichnet, so ist der 1^{te} Januar in irgend einem Jahre A

$$\begin{aligned}&\equiv 1 + (A-1701)365 + \frac{1}{4}\{(A-1701) - R:(A-1701) \bmod 4\} \\ &\quad - \frac{1}{100}\{(A-1701) - R:(A-1701) \bmod 100\} \\ &\quad + \frac{1}{400}\{(A-1601) - R:(A-1601) \bmod 400\}\end{aligned}$$

2.

Die Wochentage Sonntag, Montag, etc. mit 0, 1 etc. bezeichnet, ist der 1^{te} Januar irgend eines Jahres, qua Wochentag,

$$\left.\begin{aligned}&\equiv 6 + A + (2A+5R:(A-1) \bmod 4) \\ &\quad + (3A+4R:(A-1) \bmod 100) \\ &\quad + (A+2+6R:(A-1) \bmod 400)\end{aligned}\right\} \bmod 7.$$

Also von 1601 bis 2000

$$\equiv 6 + 6A + 5R:(A-1) \bmod 4 + 4R:(A-1) \bmod 100.$$

Allgemein

$$\equiv 1 + 5R:(A-1) \bmod 4 + 4R:(A-1) \bmod 100 + 6R:(A-1) \bmod 400.$$

A.2. **Comparison.** The reader may look up the remarks by Loewy in [1]. I contend that the formula in A.1 is identical to (8). Using earlier notation, let $y = A - 1 = 100c + g$ and $c = 4q + r$, then in Gauss' notation $R : y \bmod m = [y/m]\,m$, hence

$$\begin{aligned}R : y \bmod 4 &= R : g \bmod 4 = g - 4[g/4] \\ R : y \bmod 100 &= g \\ R : y \bmod 400 &= 100r + g\end{aligned}$$

Calculating in $\mathbf{F}_7$ the weekday of January 1^{st} of year A by A.1 is

$$\begin{aligned}&\equiv 1 + 5R : y \bmod 4 + 4R : y \bmod 100 + 6R : y \bmod 400 = \\ &= 1 + 5g - 20[g/4] + 4g + 12r + 6g = \\ &= 1 + g + [g/4] + 5r = \omega(A,1,1) \qquad \text{by formula (8).}\end{aligned}$$

□

(5/5) WHOSE DOING THE BEST WATCHING

ME ME ME

(Surveillance Game/Shit Show) TO STUDY

The Law can be Quite Lengthy!

BUT Some Come first!

Survival & Biological Pre-Requisites (Sorry Spencer, we didn't study Pseudo Community & addiction &/or Homelessness

Belongin

ENOUGH

(5/5) Wormhole head squeez $2 could DO IT?

WORMHOLE

WE AIN'T TRYIN TO DIE — new fetty doctor on the block

Psy edu & safety

STOP BILLIONARE

CONSCIOUSnes

IDENTITY THEFT → Transf

ering consciousness to little people!!!

WRITERS VS/OR/W SCIENTISTS

MAKE knife blade/handle &/or "how"/Time glasses

Castes to easily melt glass into

(melt need

& caste for both

make castes out of clay AND for other materials

(wax & stuff)

AND recycled aluminum cans

whatever comes along/NO TOX in WASHINGTON

stories along whatcom creeks

GAUSS' CALENDAR FORMULA FOR THE DAY OF THE WEEK

BERNDT E. SCHWERDTFEGER

In memory of my father Martin Walter (1910–1977)

ABSTRACT. This paper describes a formula of C. F. GAUSS for calculating the day of the week from the calendar date and gives a conceptual proof. A formula for the *Julian day number* is derived. My implementation of the formula in REXX and C is included.

PREFACE

GAUSS' formula calculates the day of the week, *Monday, …, Sunday*, from the calendar date year–month–day. I learned about it in 1962 when reading the *Mathematical Recreations* [3] by MAURICE KRAITCHIK (1882–1957). It is stated there without proof, together with an application to a perpetual calendar.

This article explains the formula and its mathematical background, including a proof and the concepts behind the algorithms implemented in the program `gauss.c`.

GAUSS never published his formula; it appeared only in 1927 in his *Werke* [1, IX, 1.]. For the convenience of the reader I have included this notice in appendix A.1

Berlin, 11 May 2009

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1. GAUSS' FORMULA EXPLAINED

1.1. **The Gauss formula.** Given are d = day, m = month, y = year. We split the year into the century part and the two digit year inside the century. For $m \geq 3$ it is done for the year $y = 100 \cdot c + g$, i.e. $c = [y/100]$, $g = y - 100 \cdot c$, such that $0 \leq g \leq 99$. For $m = 1, 2$ it is done for the year $y - 1 = 100 \cdot c + g$.

Following KRAITCHIK [2, The Calendar, p. 110–111] GAUSS' formula is:

$$w \equiv d + e + f + g + [g/4] \pmod 7$$

where $w \equiv 1, \ldots$ corresponds to *Monday, …*, etc., and with the following constants depending on the month (e) resp. century (f):

Month	m	1	2	3	4	5	6	7	8	9	10	11	12
	e	0	3	2	5	0	3	5	1	4	6	2	4

Gregorian Calendar	Century	$c \bmod 4$	f
	1600, 2000, …	0	0
	1700, 2100, …	1	5
	1800, 2200, …	2	3
	1900, 2300, …	3	1

2010 *Mathematics Subject Classification.* Primary 68-04; Secondary 68N15.
Key words and phrases. Calendar formula, perpetual calendar, Julian day number.

For the *Julian calendar* the same formula applies with modified constants f according to the following table:

Julian Calendar	Century	$c \bmod 7$	f
	0000, 0700, 1400, …	0	5
	0100, 0800, 1500, …	1	4
	0200, 0900, 1600, …	2	3
	0300, 1000, 1700, …	3	2
	0400, 1100, 1800, …	4	1
	0500, 1200, 1900, …	5	0
	0600, 1300, 2000, …	6	6

Some *perpetual calendars* exploit this formula (or present tables that are equivalent to the formula). A short explanation (with some gaps) of this formula is given in the next section 1.2 and a complete proof in section 2.

1.2. **A short reasoning.** First, recall the Gregorian rule for *leap years*:

A normal year has 365 days, with an extra day – the leap day 29.02. – added every four years, except for century years, when the century is not divisible by 4.

In terms of our variables this reads

$$y = 100 \cdot c + g \quad \text{is a leap year} :\Longleftrightarrow$$
$$(g \neq 0 \text{ and } g \equiv 0 \bmod 4) \text{ or } (g = 0 \text{ and } c \equiv 0 \bmod 4)$$

This rule implements a periodicity of 400 years that have exactly $3 \cdot 24 + 25 = 97$ leap years and $3 \cdot 76 + 75 = 303$ normal years. Otherwise put, 400 consecutive years in the Gregorian Calendar consists always of exactly $97 \cdot 366 + 303 \cdot 365 = 146097$ days, which results in an average length of a Gregorian year of $\frac{146097}{400} = 365.2425$ days (or, if you prefer, has 31,556,952 seconds).

A brief 'reasoning' on this formula (with some shortcuts) runs as follows:

The first term d, the progression with days, is obvious.

$365 \equiv 1 \pmod 7$, so the first and last day of any normal year fall on the same weekday. This explains the term g (from year to year progress). The other term $[g/4]$ accounts for the extra day every four years.

How much week days do we have to shift from one century to the next? $100 \equiv 2 \pmod 7$, plus the 24 leap years in the century give $24 \equiv 3 \pmod 7$, so a century adds $2 + 3 = 5$ shift days.

For the Julian Calendar we have 25 leap years in a century, thus a century shifts by $2 + 4 = 6$ days.

This explains the f values: $5 + 5 \equiv 3 \pmod 7$, $5 + 5 + 5 \equiv 1 \pmod 7$. Their dependency on $c \pmod 4$ and the gap ('leap') from $c \equiv 3$ to $c \equiv 0 \pmod 4$ is due to the leap century rule (in the Gregorian Calendar).

This leaves us to explain the 'magic' values for e. Let us look at the following table with the number $d(m)$ of days in a month, the sum $e(m)$ of days for the previous months (number of days from begin of the year for non leap years only) and their values mod 7:

m	1	2	3	4	5	6	7	8	9	10	11	12
$d(m)$	31	28	31	30	31	30	31	31	30	31	30	31
$e(m)$	0	31	59	90	120	151	181	212	243	273	304	334
$(\bmod 7)$	0	3	3	6	1	4	6	2	5	0	3	5

The 'magic' value is $e = e(m)$ for the months $m = 1, 2$ and $e = e(m) - 1$ for the other months … (mod 7).

It is left to the reader as an exercise to render this reasoning into an irreproachable mathematical proof and to develop a more conceptual approach.

Instead, you might as well study the program in the appendix B.2: the function `offset` in `gauss.c` gives a different parametrization of dates in terms of *offset* and *year* ; the function `date` is inverse to `offset`.

Or, you might want to read the conceptual approach developed in section 2.

1.3. **Historical Perspective.** The actual internationally used calendar is derived from the Roman calendar as reformed by Julius Caesar in 46 BC, who introduced the leap day every four years (*Julian Calendar*). The average length of the Julian year is therefore 365.25 days.

Now, the *solar* (or *tropical*) year, which is founded on the revolution of the Earth around the Sun, defined by passing the *vernal equinox*, is measurably shorter: 365 days, 5 hours, 48 minutes and 45.51 seconds, or 31,556,925.51 s, or 365.242193402 days. This is about 11 minutes and 15 seconds shorter than the Julian average year.

In the course of the centuries this discrepancy added up, leading to the fact that the Julian year was behind schedule: it had inserted too many leap days. In the 16^{th} century the deviation amounted to about 12 days. UGO BONCOMPAGNI (Bologna 1502 – Roma 1585), better known as Pope GREGORY XIII (1572), established in 1582 a calendar reform (*Gregorian Calendar*), which dropped 10 days: the day following (Julian) October 4 became (Gregorian) October 15, and introduced the leap year rules described above.

Note, however, the Gregorian year is not perfect for all times. It is (again) too long: but this time by only 26.49 seconds, but this will also add up over time. The imperfection accumulates to a whole day in about $1/(365.2425 - 365.242193402) = 3261$ years. Then, an additional leap day would have to be left out again … With the advent of leap *seconds* this will, of course, not happen: clocks nowadays tick much more accurate than heavenly bodies once did (they didn't – but we didn't know).

As the scale for numbering the years is changing occasionally in our History, we will have to make a choice. In this paper we will treat all Calendar dates as if the Gregorian Calendar is valid thru eternity (so called *proleptic* Gregorian Calendar). We will also make use of the astronomical numbering of years by integers $\ldots, -3, -2, -1, 0, 1, 2, \ldots$ (instead of the Historians' numbering of 4 BC, 3 BC, 2 BC, 1 BC, 1 AD, 2 AD). Ignoring the possibly finite number of years since Creation, we will use the rational integers for the years.

The program `gauss.c` ignores the historical truth as well and neglects the Julian rules in force from 46 BC up to 1582 (and beynnd in several countries). Instead, it treats all input dates according to Gregorian rules, but it gives the date of the Julian Calendar in its output.

2. TOWARDS A CONCEPTUAL APPROACH

2.1. **Heuristical remarks.** In principle the days from now to the past or to the future look like the set $\mathbb{Z}$ of rational integers. But there is no natural *day zero* and one has to make an arbitrary choice. We will see one way to do this numbering in section 2.4.

The set T of dates is another funny renumbering of $\mathbb{Z}$ by a triple $t = (y, m, d)$ of year, month, day (in some countries noted as `d.m.y`, in others `d/m/y` or even `m/d/y`; the ISO 8601 format prescribes `y-m-d` and this is also used in my program `gauss.c`.

The searched for map from T to the set of weekdays {Monday, …, Sunday} should be as simple as the canonical map $\mathbb{Z} \to \mathbb{F}_7$, the integers (mod 7). We will construct a candidate, to be called *Gauss maps*

$$\omega : T \longrightarrow \mathbb{F}_7$$

in a fairly natural way and give an explicit formula in terms of the coordinates y, m, d — it turns out to be the *Formula of Gauss* (8) in Corollary 2.3.

2.2. **The leap function.** For a year $y \in \mathbb{Z}$ we set the *century* $c = [y/100]$ and the remainder $g = y - 100 \cdot c$, such that $0 \leq g \leq 99$. The (Gregorian) leap function on the set of years is a boolean map

$$\lambda : \mathbb{Z} \rightsquigarrow \{0, 1\}$$

given by

$$\lambda(y) = \begin{cases} 1 & \text{if } (g \neq 0 \wedge g \equiv 0 \bmod 4) \vee (g = 0 \wedge c \equiv 0 \bmod 4), \\ 0 & \text{otherwise} \end{cases}$$

The subset of leap years will be denoted by

$$\Lambda = \{y \in \mathbb{Z} \mid \lambda(y) = 1\}$$

We have

$$\Lambda = 400\mathbb{Z} \cup \bigcup_{k \not\equiv 0 \bmod 25} 4k + 100\mathbb{Z}$$

We also define for a month m and any year y

$$\lambda(y, m) = \begin{cases} \lambda(y) & \text{if } m > 2 \\ 0 & \text{for } m = 1, 2 \end{cases}$$

As we need to keep track of counting leap years thru the centuries, let us note some properties of λ, more or less obvious from the definitions.

Lemma 2.1. *Let $0 \leq g < 100$. We have*

(1) $$\sum_{l=1}^{c} \lambda(100 \cdot l) = [c/4] \qquad c \geq 0$$

(2) $$\sum_{k=1}^{g} \lambda(100 \cdot c + k) = [g/4]$$

(3) $$\sum_{x=1}^{100c+g} \lambda(x) = [c/4] + 24 \cdot c + [g/4] \qquad c \geq 0$$

(4) $$-\sum_{x=1+100c+g}^{0} \lambda(x) = [c/4] + 24 \cdot c + [g/4] \qquad c < 0$$

Proof. The relations (1), (2) are obvious by the leap year rule. As to (3):

$$\begin{aligned} \sum_{y=0}^{100c+g} \lambda(y) &= \sum_{l=0}^{c-1} \sum_{k=0}^{99} \lambda(100 \cdot l + k) + \sum_{k=0}^{g} \lambda(100 \cdot c + k) \\ &= \sum_{l=0}^{c} \lambda(100 \cdot l) + \sum_{l=0}^{c-1} \sum_{k=1}^{99} \lambda(100 \cdot l + k) + \sum_{k=1}^{g} \lambda(100 \cdot c + k) \\ &= [c/4] + 1 + \sum_{l=0}^{c-1} 24 + [g/4] \\ &= [c/4] + 1 + 24 \cdot c + [g/4] \qquad \text{and } \lambda(0) = 1. \end{aligned}$$

(5/5) ketchup packets, spilled on pickets, uncovered shits, scientific vials, and Culture Dishes, tobacco dip container, biting off/out cotton filta cigarette, sacred/consensual circumcisions // IM NOT GONNA GIVE CIRCUMSISIONS, ID rather "baptize" dead People (skeletons, well cleaned) /// ☒ Read about Jesus words on circ'ss, not Paul /// ☐ Research Crank Movie /// ☐ DECREASE CHANCE OF SINNING multi-use 50 cal (6, 9, 12 round cartridge sizes for 3x Burst Shot) Babyfug VHS LoGo'd (in secret compartment (micro VHS)

☐ LESS RECOIL, LIGHTER WEIGHT, smaller size

☒ 50 cal heat seeker

☐ open sourced Gun, multiple molds/casters, other metals/materials (lighter weight / modular glass, clay, etc)

△ ☐ Demand Universal Gift/Trophies

△ → "Thanks for Surviving" ... "here's

△ all your Records, WE Stole from

△ you" ... (surveillance State apologies,

△ Post 9/11) (data storage eliminates

△ cost of paper / needless expense)

/// The Hierarchy/priorities of The Back pack (see small notebook SJBCC2605 /// chanting

Beliefs ∇ of Knowledge △ (feedback loops)

Authenticity / evolution

4

kt24601 • 10y ago
The mod makes it difficult
1

r/UndeadUnluck • 2y ago
SPOILER
Un-Order Game Day 1 (Sakamoto Days Spoilers)
47 upvotes · 7 comments

r/televisionsuggestions • 2mo ago
Any foreign period drama produced in France, Russia, Germany or other european country?
14 upvotes · 37 comments

r/PLC • 6y ago
Everything in the automation industry

796 upvotes · 52 comments

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Answers and care all in one chat.
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r/cpp • 6mo ago
A Faster Algorithm for Date Conversion
75 upvotes · 29 comments

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reReddit: Top posts of June 14, 2016

Reddit
reReddit: Top posts of June 2016

Reddit
reReddit: Top posts of 2016

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(5/6) ☆ found that strong ① lettuce "vulva" seaweed only ate about 2 strands ≈ 1 or 2 feet worth to build biome to this dirty watershed after seeing geese eat it yesterday. /// Opensource / De-monopolize Police force BECAUSE A) monopolies are bad B) ~~women~~ witches seduce them to do their dirty work c) everyone should ~~to~~ the skill to assault, bond/bind, and entrap in cages (NOT MEDICINE / FIRST AID ⊕) d) /// The Biggest & MOST Valuable lesson cl learned from the U.S.A. is if you can't handle the Government fucking your Babies you should kill yourself ///

DONT WORRY, THE USA CAN AND WILL FRAME ANYONE AND EVERYONE AS A BABYFUQ' Then you will see you have no real friends [/loyal / love] just like Epstein & Spencer Joseph & Barrett ✗ cancel statement — you just need money to buy friend ☆ SO JUST POOR PPL like Spencer are fucked ... □ more Research on alleged Friendships ///
: when cl was a child, cl used to give a fuck about the Government fucking my babies, but when cl became a man cl realized cl have no Power" — Sa
((fuck paul - jesus)) ///
□ How much with all my semen jizz over lifetime (raccoon tried to stop this writing or helped? ~5-10 min aft orgasm toe to

□ Phantasmagoria [YT all cap] ③
/// 11:45 pm (5/6) 5 mi to Respect wheelchair Campsh in the outhouse @ Bus Stop - (will give 10 minutes), met lil horror actress Ella & her Guitar friend she seemed ~~likes me~~ friendly, ~~PROBABLY USED TO BAI~~ no eyebrows, slight Kenna face, (#Kenna cat ☆) she knew Harold, Adam, Vander & Pandey, claimed Rainbow connections, told her of my hatred towards them trafficking my daughter, ~~#~~ take her GOD GIVEN image stripped of me ~~take~~ Beauty - after she ~~a~~ Guitar

- like weather told me ~~#~~ ~~#~~ ~~#~~

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r/programming • 10y ago
reinbowgarden ...

Tomohiko Sakamoto's Algorithm - simplest way to determine the day of the week

wikicoding.org Open

⇧ 167 ⇩ · 34

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Sign Up hyperagent.com

fiqar • 10y ago
Here's the original comp.lang.c Usenet post by Tomohiko Sakamoto if anyone's interested:

```
Path: sparky!uunet!spool.mu.edu!agate!ames!sun-barr!sh.wide!wnoc-tyo-news!scslwide!wsgw!wsserv
From: saka...@sm.sony.co.jp (Tomohiko Sakamoto)
Newsgroups: comp.lang.c
Subject: Re: Date -> Day of week conversion
Message-ID: <1992Dec15.021818.18355@sm.sony.co.jp>
Date: 15 Dec 92 02:18:18 GMT
References: <Bz3I8K.LDJ@ccu.umanitoba.ca>
Sender: ne...@sm.sony.co.jp (Usenet News System)
Reply-To: saka...@sm.sony.co.jp
Organization: Workstation Div., Supermicro Systems Group, Sony Corporation
Lines: 19
Nntp-Posting-Host: sak3

In article <Bz3I8...@ccu.umanitoba.ca>,
        umm...@ccu.umanitoba.ca (Ijaz Rashid Malik) says:
>
> Could someone please forward me algorithm to convert the date (in dd.mm.yy
> or yy.mm.dd format, but assume individual fields can be obtained as integers)
> to corresponding day of the week.
```

Skip to main content Log In

```
 */
dayofweek(y, m, d)
{
    y -= m < 3;
    return (y + y/4 - y/100 + y/400 + "-bed=pen+mad."[m] + d) % 7;
}

--
T. Sakamoto
```

⇧ 26 ⇩

[deleted] • 10y ago
Comment deleted by user

SBareS • 10y ago
Looks like it is just a table lookup of the first zeroth day of the month in "year 0" (if that year had existed in the Gregorian calendar). Then it adds the year number (since 365%7=1), starting the year on march 1 for convenience with leap years. Finally, it adds the number of leap years using the inclusion-exclusion principle (ie. y/4 - y/100 + y/400).

⇧ 26 ⇩

ponchedeburro • 10y ago
Didn't you see the description in the comments above the code?

⇧ 4 ⇩

The6P4C • 10y ago
When I made that comment, it wasn't.

⇧ 4 ⇩

Semicolon_Expected • 10y ago
It looks like the Doomsday algorithm

⇧ 3 ⇩

banzinip • 10y ago
It's actually the same as Zeller's congruence, using a table instead of floor(13(m+1)/5). The table removes the need to make January the 13-th month and February the 14-th month.

⇧ 7 ⇩

[deleted] • 10y ago
You can also determine the weekday from the Julian day number mod 7.

⇧ 1 ⇩

[deleted] • 10y ago

Skip to main content Log In

[deleted] • 10y ago
Comment deleted by user

2 more replies

everywhere_anyhow • 10y ago
It is clever and impressive but for lack of explanation would never survive a PR review anywhere I've worked. It's possible to be clever, impressive, AND clear.

⇧ 3 ⇩

remigijusj • 10y ago
The point of the original algorithm (I suspect many are missing it) is to be able to memorize it easily. That's why it's deliberately concise and uses clever mnemonics. Wikipedia and SO were non-existent in 1992, and reference books are not always at hand.

It's not "readable" by today's standards, and lots of older code remind math formulas more than nicely-styled TDD-driven commentless modern code. Readability is not an absolute thing.

⇧ 2 ⇩

kt24601 • 10y ago
> for lack of explanation would never survive a PR review anywhere I've worked

Did you miss the 27 lines of comments explaining how it works???

⇧ 3 ⇩

8 more replies

Ravek • 10y ago
Not at all the 'simplest' way, but a fast one.

⇧ 3 ⇩

turerkan • 10y ago
holy fuck. if this works, it's genius. how does people come up with stuff like these?..

⇧ 4 ⇩

[deleted] • 10y ago
Comment deleted by user

_martind • 10y ago
It's actually a specific case of the Feynman's Algorithm.

⇧ 30 ⇩

HighOnFireZA • 10y ago
Who would have thought?

Skip to main content Log In

And time.

⇧ 2 ⇩

Ravek • 10y ago
You don't come up with stuff like this out of the blue, you get to this point by taking a simpler (not shorter, simpler as in easier to understand) solution and reducing it to its bare essentials. If you know the exact number of days between the current date and some reference Monday, then with the remainder of division by 7 you can calculate the day of the week.

The number of days between today and your reference day can be calculated from the year, month and day of the month. 365 days in a year, except for leap days (accounted for by the y/4, y/100/, y/400 stuff), add a value from a table for the number of days in a month. Then reduce all the values by accounting for the fact that (x + y) % 7 == ((x % 7) + (y % 7)) % 7. E.g. with 365 days in a year you'd expect to see a 356 * y in there somewhere, except 356 % 7 = 1 so you put just y instead. Similarly for why all the values in the table can be smaller than 7 – you can subtract out multiples of 7 since they disappear in the % 7 operation anyway.

⇧ 13 ⇩

[deleted] • 10y ago
Comment deleted by user

1 more reply

beaverlyknight • 10y ago
If you think about it and know how leap years work it's fairly intuitive

⇧ 1 ⇩

u/ClickUp_App • Promoted ...

What if AI ran the busywork?

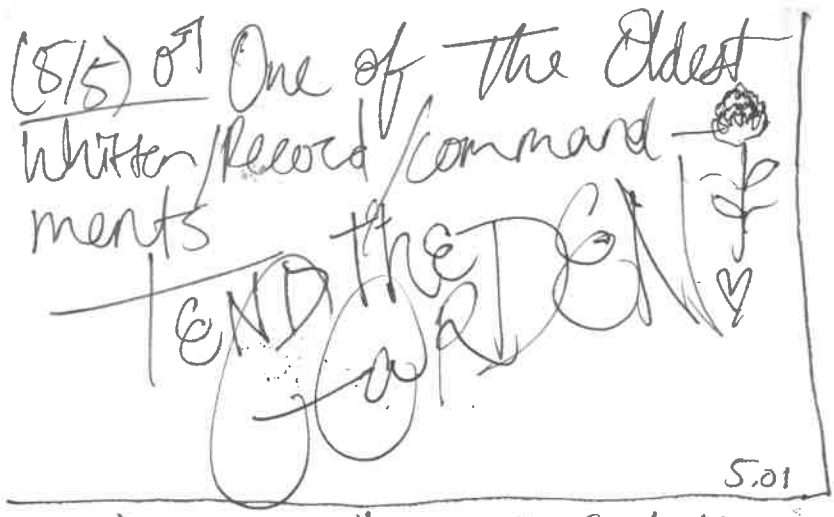
View More clickup.com

tankfeeder • 10y ago
Check against buildin PicoLisp version. Passed.
https://bitbucket.org/mihailp/tankfeeder/src/4ca714725a1e404db98e384a18920cf068a3d42c/tomohiko.l?fileviewer=file-view-default

⇧ 1 ⇩

ninetailedoctopus • 10y ago

(5/5) 07 One of the Oldest Written/Record/command-ments



(5/7) 12:07 H // Really sad to see this duck move so fast - d couldnt tell if it (female mallard) was upset/in pain or/& fed drugs never saw a duck move like that, and worried for my baby Geese (9:25 am) ///

The full 400-year cycle of doomsdays is given in the adjacent table. The centuries are for the Gregorian and proleptic Gregorian calendar, unless marked with a J for Julian. The Gregorian leap years are highlighted.

Julian centuries							
-1600J -900J -200J 500J 1200J 1900J 2600J 3300J	-1500J -800J -100J 600J 1300J 2000J 2700J 3400J	-1400J -700J 0J 700J 1400J 2100J 2800J 3500J	-1300J -600J 100J 800J 1500J 2200J 2900J 3600J	-1200J -500J 200J 900J 1600J 2300J 3000J 3700J	-1100J -400J 300J 1000J 1700J 2400J 3100J 3800J	-1000J -300J 400J 1100J 1800J 2500J 3200J 3900J

Negative years use astronomical year numbering. Year 25BC is −24, shown in the column of −100J (proleptic Julian) or −100 (proleptic Gregorian), at the row 76.

Frequency of Gregorian doomsday in the 400-year cycle per weekday and year type

	Sunday	Monday	Tuesday	Wednesday	Thursday	Friday	Saturday	Total
Non-leap years	43	43	43	43	44	43	44	303
Leap years	13	15	13	15	13	14	14	97
Total	56	58	56	58	57	57	58	400

A leap year with Monday as doomsday means that Sunday is one of 97 days skipped in the 400-year sequence. Thus the total number of years with Sunday as doomsday is 71 minus the number of leap years with Monday as doomsday, etc. Since Monday as doomsday is skipped across February 29, 2000, and the pattern of leap days is symmetric about that leap day, the frequencies of doomsdays per weekday (adding common and leap years) are symmetric about Monday. The frequencies of doomsdays of leap years per weekday are symmetric about the doomsday of 2000, Tuesday.

The frequency of a particular date being on a particular weekday can easily be derived from the above (for a date from January 1 – February 28, relate it to the doomsday of the previous year).

For example, February 28 is one day after doomsday of the previous year, so it is 58 times each on Tuesday, Thursday and Sunday, etc. February 29 is doomsday of a leap year, so it is 15 times each on Monday and Wednesday, etc.

28-year cycle

Regarding the frequency of doomsdays in a Julian 28-year cycle, there are 1 leap year and 3 common years for every weekday, the latter 6, 17 and 23 years after the former (so with intervals of 6, 11, 6, and 5 years; not evenly distributed because after 12 years the day is skipped in the sequence of doomsdays). The same cycle applies for any given date from March 1 falling on a particular weekday.

For any given date up to February 28 falling on a particular weekday, the 3 common years are 5, 11, and 22 years after the leap year, so with intervals of 5, 6, 11, and 6 years. Thus the cycle is the same, but with the 5-year interval after instead of before the leap year.

Thus, for any date except February 29, the intervals between common years falling on a particular weekday are 6, 11, 11. See e.g. at the bottom of the page Common year starting on Monday the years in the range 1906–2091.

For February 29 falling on a particular weekday, there is just one in every 28 years, and it is of course a leap year.

Julian calendar

The Gregorian calendar is currently accurately lining up with astronomical events such as solstices. In 1582 this modification of the Julian calendar was first instituted. To correct for calendar drift, 10 days were skipped, so doomsday moved back 10 days (i.e. 3 weekdays): Thursday, October 4 (Julian, doomsday is Wednesday) was followed by Friday, October 15 (Gregorian, doomsday is Sunday). The table includes Julian calendar years, but the algorithm is for the Gregorian and proleptic Gregorian calendar only.

Note that the Gregorian calendar was not adopted simultaneously in all countries, so for many centuries, different regions used different dates for the same day.

Full examples

Example 1 (1985)

Suppose we want to know the day of the week of September 18, 1985. We begin with the century's anchor day, Wednesday. To this, add a, b, and c above:

- a is the floor of $\frac{85}{12}$, which is 7.
- b is 85 mod 12, which is 1.
- c is the floor of $\frac{b}{4}$, which is 0.

This yields $a + b + c = 8$. Counting 8 days from Wednesday, we reach Thursday, which is the doomsday in 1985. (Using numbers: In modulo 7 arithmetic, 8 is congruent to 1. Because the century's anchor day is Wednesday (index 3), and 3 + 1 = 4, doomsday in 1985 was Thursday (index 4).) We now compare September 18 to a nearby doomsday, September 5. We see that the 18th is 13 past a doomsday, i.e. one day less than two weeks. Hence, the 18th was a Wednesday (the day preceding Thursday). (Using numbers: In modulo 7 arithmetic, 13 is congruent to 6 or, more succinctly, −1. Thus, we take one away from the doomsday, Thursday, to find that September 18, 1985, was a Wednesday.)

Example 2 (other centuries)

Suppose that we want to find the day of week that the American Civil War broke out at Fort Sumter, which was April 12, 1861. The anchor day for the century was 94 days after Tuesday, or, in other words, Friday (calculated as $18 \times 5 + \lfloor \frac{18}{4} \rfloor$; or just look at the chart, above, which lists the century's anchor days). The digits 61 gave a displacement of six days so doomsday was Thursday. Therefore, April 4 was Thursday so April 12, eight days later, was a Friday.

See also

- Ordinal date
- Computus – Gauss algorithm for Easter date calculation
- Zeller's congruence – An algorithm (1882) to calculate the day of the week for any Julian or Gregorian calendar date.
- Mental calculation

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14. Nakai, Hirofumi (June 1, 2023). "A Simple Formula for Doomsday" (https://link.springer.com/article/10.1007/s00283-022-10229-3). *The Mathematical Intelligencer*. **45** (2): 131–132. doi:10.1007/s00283-022-10229-3 (https://doi.org/10.1007%2Fs00283-022-10229-3). ISSN 1866-7414 (https://search.worldcat.org/issn/1866-7414).
15. thatsmaths (June 22, 2023). "A Simple Formula for the Weekday" (https://thatsmaths.com/2023/06/22/a-simple-formula-for-the-weekday/). *ThatsMaths*. Retrieved March 21, 2025.

External links

- Encyclopedia of Weekday Calculation by Hans-Christian Solka, 2010 (https://web.archive.org/web/20061018103244/http://www.cs.wustl.edu/~ksl2/mathpoem.html)
- World records for mentally calculating the day of the week in the Gregorian Calendar (http://www.recordholders.org/en/records/dates.html)
- National records for finding Calendar Dates (http://www.recordholders.org/en/list/mental-calculation-rankings.html)
- World Ranking of Memoriad Mental Calendar Dates (http://www.memoriad.com/index.asp?s=kategoriler&b=kategori-detay&kategorilid=dcacea11f97125360e50694fd11c2ae4&lang=EN) (all competitions combined)
- Doomsday Algorithm (http://rudy.ca/doomsday.html)
- Finding the Day of the Week (https://web.archive.org/web/20070115153606/http://www.theworldofstuff.com/other/day.html)
- Poem explaining the Doomsday rule (https://web.archive.org/web/20061018103244/http://www.cs.wustl.edu/~ksl2/mathpoem.html) at the Wayback Machine (archived October 18, 2006)
- Doomsday Calculator (https://www.timeanddate.com/date/doomsday-calculator.html) at timeanddate

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